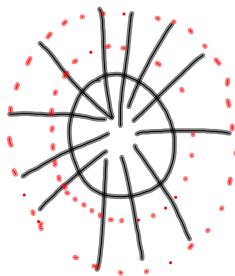


§14-2 Fields

- a property of space



- infinite number of force lines (vectors) that make up a field.



Let's say we have 1000 toothpicks

at 1cm from centre.

$$\text{SA: } 4\pi r^2 \quad \frac{1000}{4\pi(1\text{cm})^2} = \frac{1000}{4\pi} \text{ toothpicks/cm}^2$$

$$\times 2 \quad \frac{1000}{4\pi(2\text{cm})^2} = \frac{1000}{16\pi} \text{ toothpicks/cm}^2$$

radius

field intensity

$$\text{field intensity} \propto \frac{1}{r^2}$$

↑ inversely proportional

Field Intensity - force per unit mass (gravitational)
force per unit charge (electric)

Electric Fields

positive test charge



Positive source charges have an electric field directed radially outward.



A negative source charge has a field directed radially inward.

$$\vec{E} = \frac{\vec{F}_q}{q}$$

where \vec{E} is the electric field intensity (strength) ($\frac{N}{C}$)
 F_q is the electrostatic force (N)
 q is the charge that experiences the field (C)

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$$q_t = +2.0 \times 10^{-9} C$$

$$\vec{F}_a = 4.0 \times 10^{-9} N [W]$$

a) $\vec{E} = ?$

b) $\vec{F}_a = ?$ if $q = +9.0 \times 10^{-6} C$

$\vec{F}_a = 4.0 \times 10^{-9} N [W]$

$q_t = +2.0 \times 10^{-9} C$

If this were
the source charge,
it would have to be $-q$

$$\vec{E} = \frac{\vec{F}_a}{q}$$

$$\vec{E} = \frac{4.0 \times 10^{-9} N [W]}{2.0 \times 10^{-9} C}$$

This means every
coulomb of
positive charge
will experience a
force of $2.0 N [W]$

$$\vec{E} = 2.0 \frac{N}{C} [W]$$

Every coulomb of negative
charge experiences a force of $2.0 N [E]$

b) $\vec{E} = \frac{\vec{F}_a}{q}$

$$\vec{F}_a = q \vec{E}$$

$$\vec{F}_a = (9.0 \times 10^{-6} C)(2.0 \frac{N}{C})$$

$$\vec{F}_a = 1.8 \times 10^{-5} N [W]$$

Gravitational Field Intensity

$$\vec{g} = \frac{\vec{F}_g}{m} \quad (\vec{F}_g = m\vec{g})$$

always radially
inward.

where \vec{g} is the gravitational field intensity (N/kg)

\vec{F}_g is the force of gravity (weight) (N)

m is the mass that experiences the field (kg)

- To DO
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